

Simulating the Earth System with filtered Navier Stokes Equations

10th CHPC National Meeting

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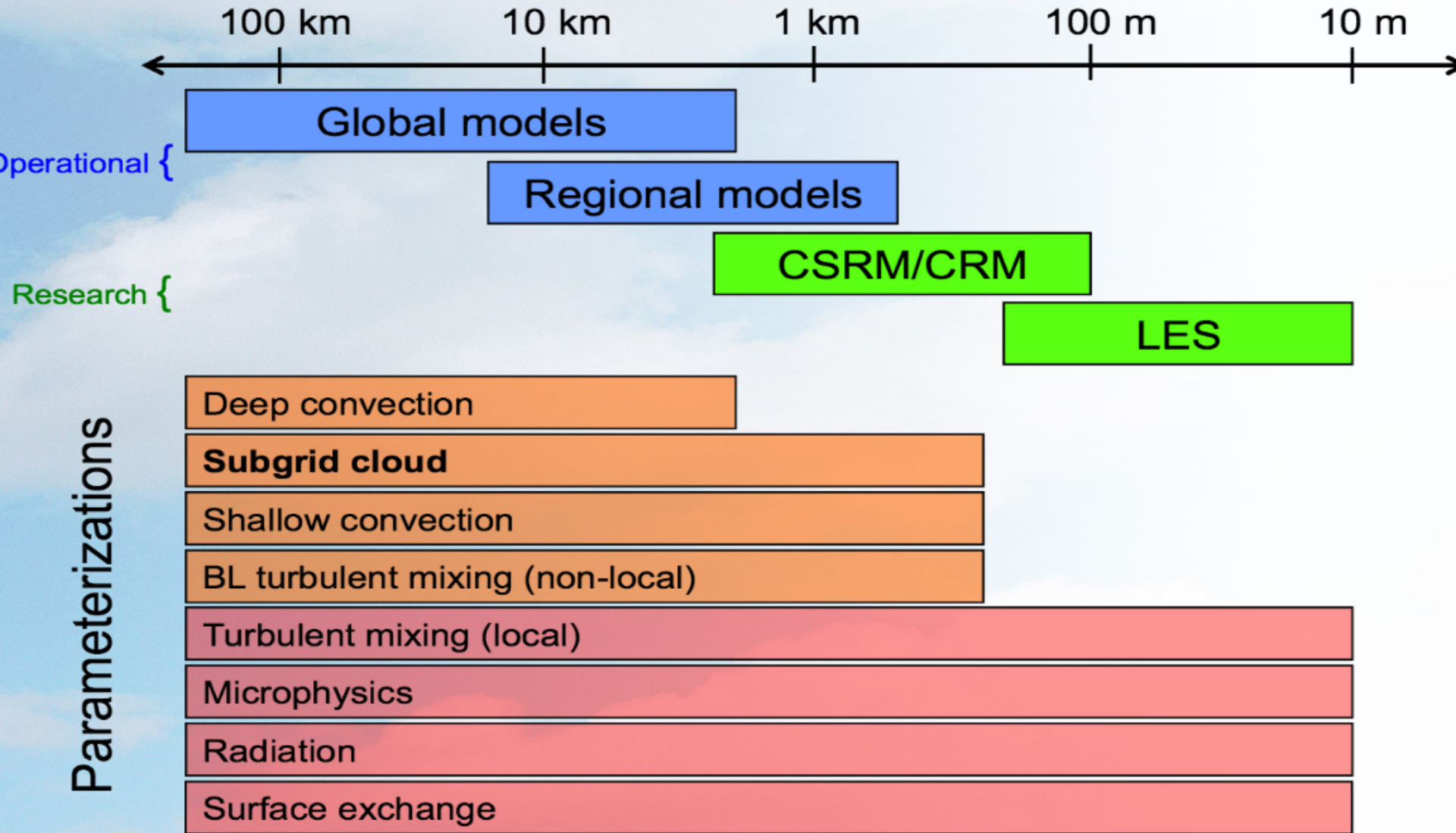
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Atmospheric Modelling



Basic Equations of motion

$$\frac{Dv}{Dt} = -\frac{1}{\rho} \nabla p - fkXv - gk + \mathcal{F}$$

$$\frac{D\theta}{Dt} = \dot{\mathcal{H}}$$

$$\frac{D\rho}{Dt} = -\rho \nabla \cdot V$$

$$\frac{Dq_x}{Dt} = S_x, x = 1, 2, \dots, n$$

$$\frac{\bar{D}\bar{u}}{Dt} = -\frac{1}{\rho_0} \frac{\partial \bar{p}}{\partial x} + f\bar{v} - \left[\frac{\partial \bar{u}'u'}{\partial x} + \frac{\partial \bar{u}'v'}{\partial y} + \frac{\partial \bar{u}'w'}{\partial z} \right]$$

$$\frac{\bar{D}\bar{v}}{Dt} = -\frac{1}{\rho_0} \frac{\partial \bar{p}}{\partial y} - f\bar{u} - \left[\frac{\partial \bar{u}'v'}{\partial x} + \frac{\partial \bar{v}'v'}{\partial y} + \frac{\partial \bar{v}'w'}{\partial z} \right]$$

$$\frac{\bar{D}\bar{w}}{Dt} = -\frac{1}{\rho_0} \frac{\partial \bar{p}}{\partial z} + g - \left[\frac{\partial \bar{u}'w'}{\partial x} + \frac{\partial \bar{v}'w'}{\partial y} + \frac{\partial \bar{w}'w'}{\partial z} \right]$$

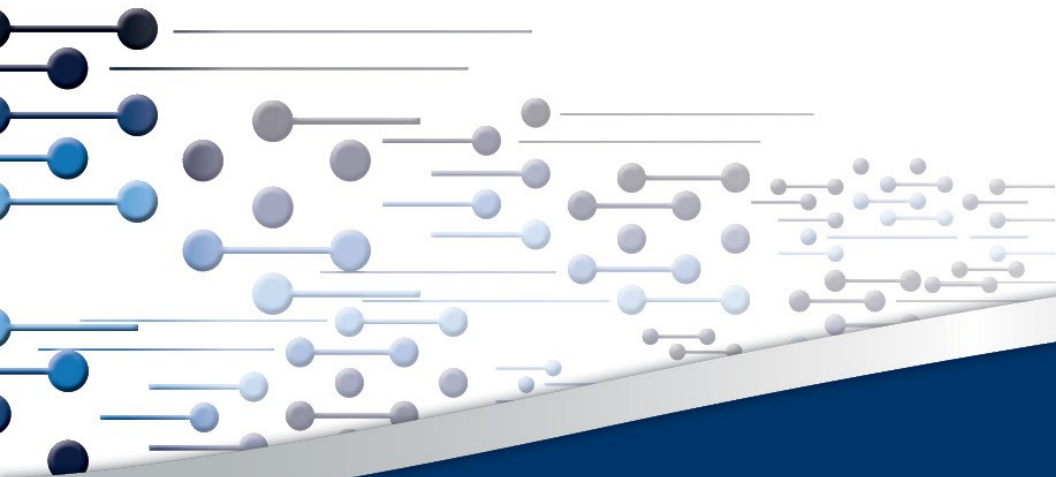
$$\frac{\bar{D}\bar{\theta}}{Dt} = \dot{\mathcal{H}} - \left[\frac{\partial \bar{u}'\theta'}{\partial x} + \frac{\partial \bar{v}'\theta'}{\partial y} + \frac{\partial \bar{w}'\theta'}{\partial z} \right]$$

$$\frac{\partial \bar{u}}{\partial x} + \frac{\partial \bar{v}}{\partial y} + \frac{\partial \bar{w}}{\partial z} = 0$$

$$\frac{D\bar{q}_x}{Dt} = \bar{S}_x - \left[\frac{\partial \bar{u}'q_x'}{\partial x} + \frac{\partial \bar{v}'q_x'}{\partial y} + \frac{\partial \bar{w}'q_x'}{\partial z} \right]$$

- Prime terms are subgrid terms that are parameterised using resolved terms (bar terms)

Large Eddy Modelling

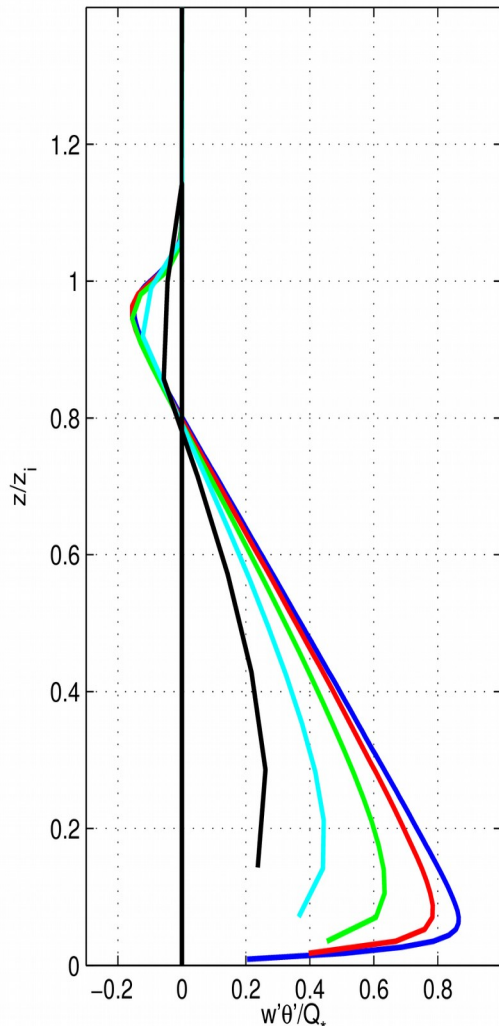


Simulations

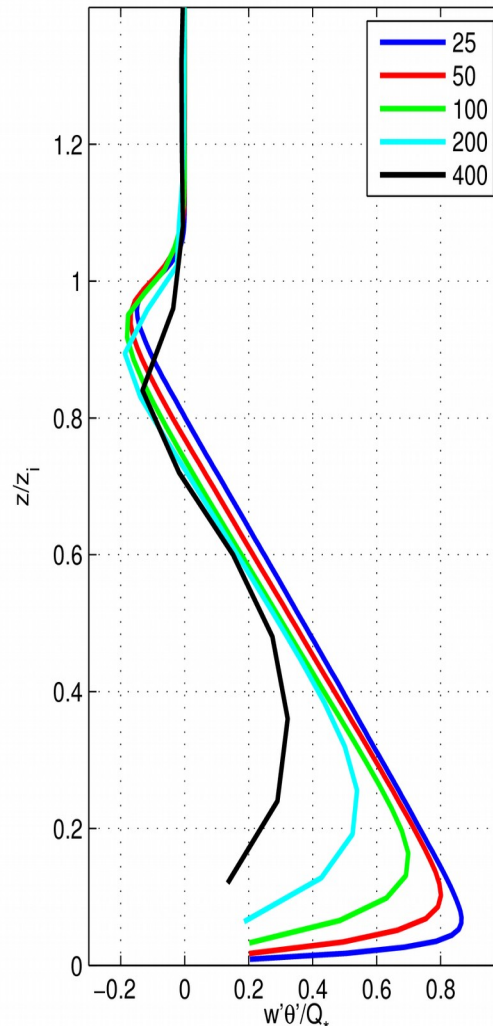
- Convective atmosphere
 - Constant sensible heat flux : 30 and 241Wm^{-2}
 - Constant temp of 290 and 300K up to 1km, and a sharp jump of 8K is imposed over a depth of 100m near the top of the BL.
 - 1K amplitude perturbations, 4 hour simulations
- Domain size: 4.8 km x 4.8 km
 - Δx : 10m, 20m, 40m, 80m and 160m.
- Domain size: 9.6 km x 9.6 km
 - Δx : 25m, 50m, 100m, 200m and 400m.

Resolved Potential temperature flux

a) Coarse Grained $w'\theta'$



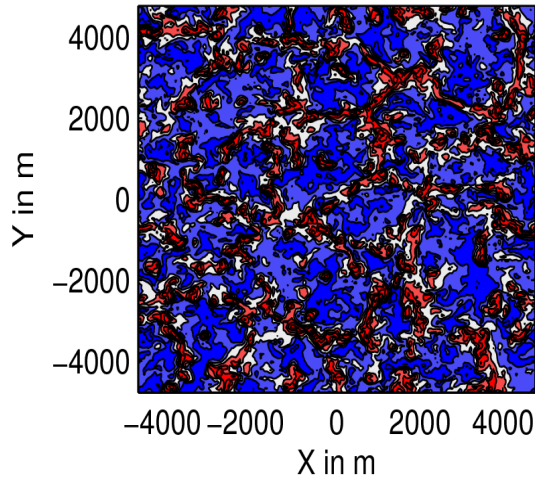
b) Native resolution $w'\theta'$



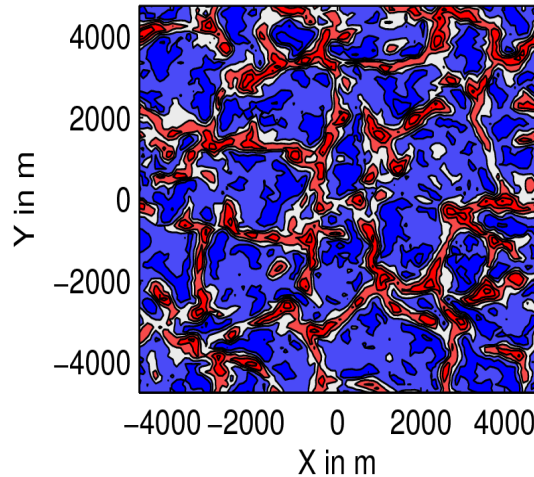
- Decrease with height to a minimum
- Negative region = entrainment zone
- Minimum – lower height with low resolution
- CG data is more converged below z_i

Grid spacing dependence

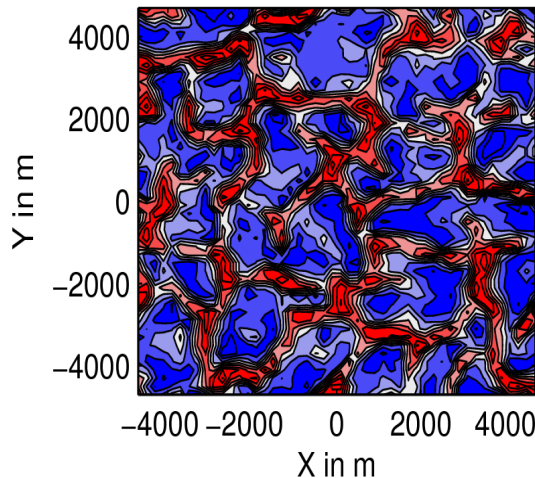
a) $\text{deltax}=50\text{m W}$



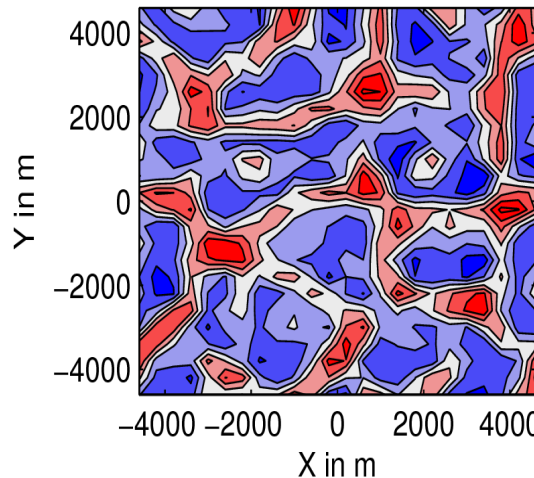
b) $\text{deltax}=100\text{m W}$



c) $\text{deltax}=200\text{m W}$

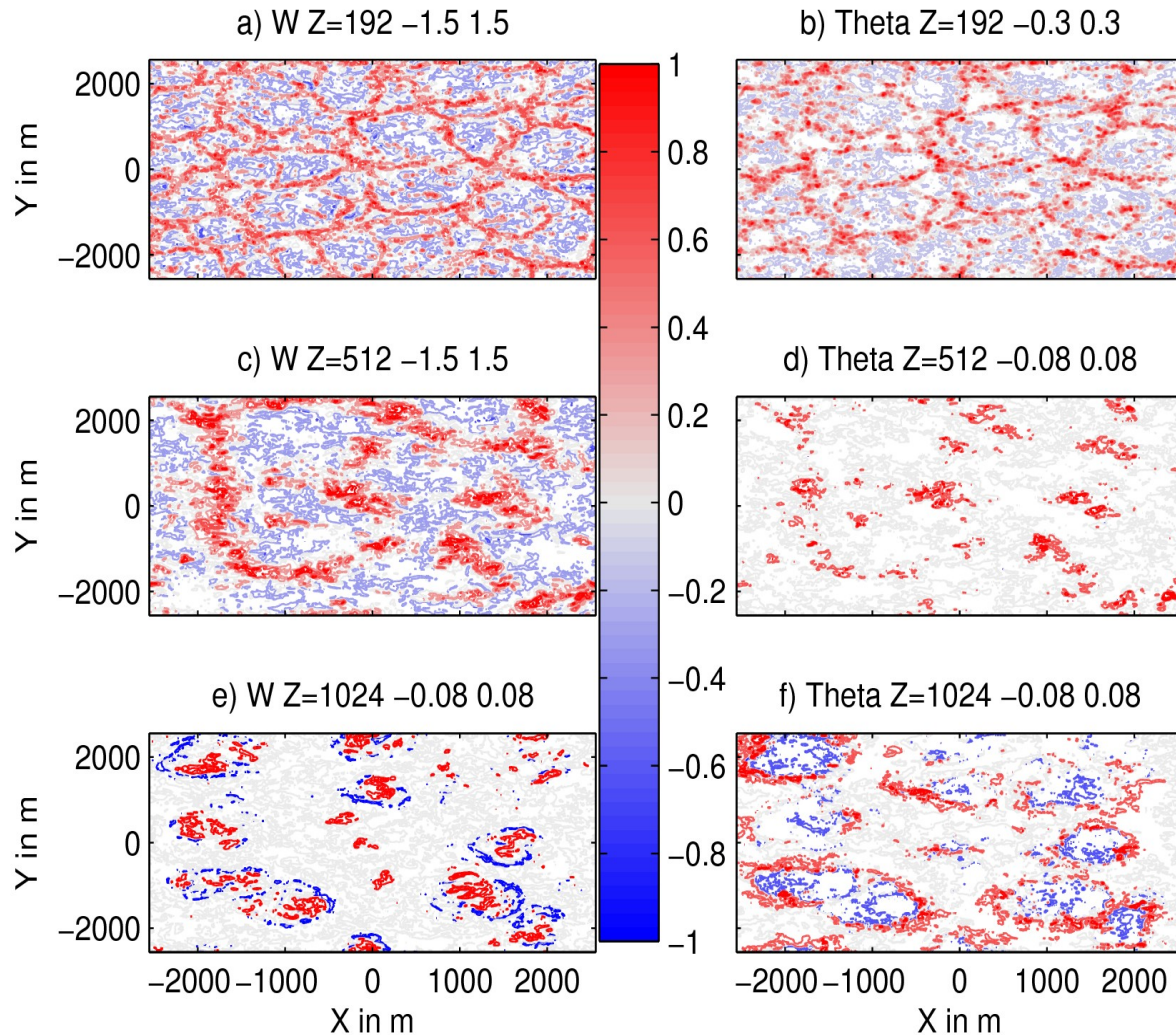


d) $\text{deltax}=400\text{m W}$



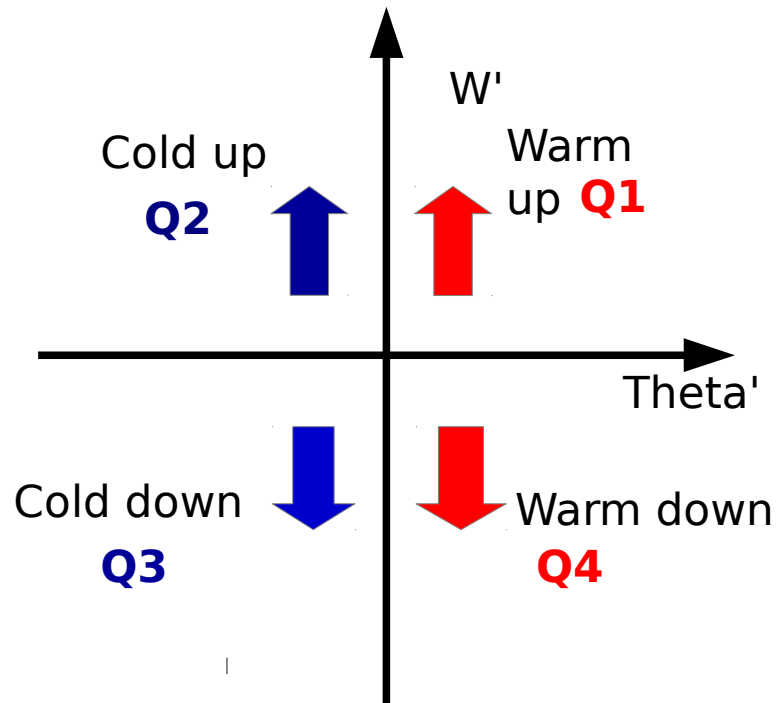
- Lower resolution – less detail
- Subgrid processes are parametrized
- Assumptions in parametrization s dependent on resolution

Atmospheric processes



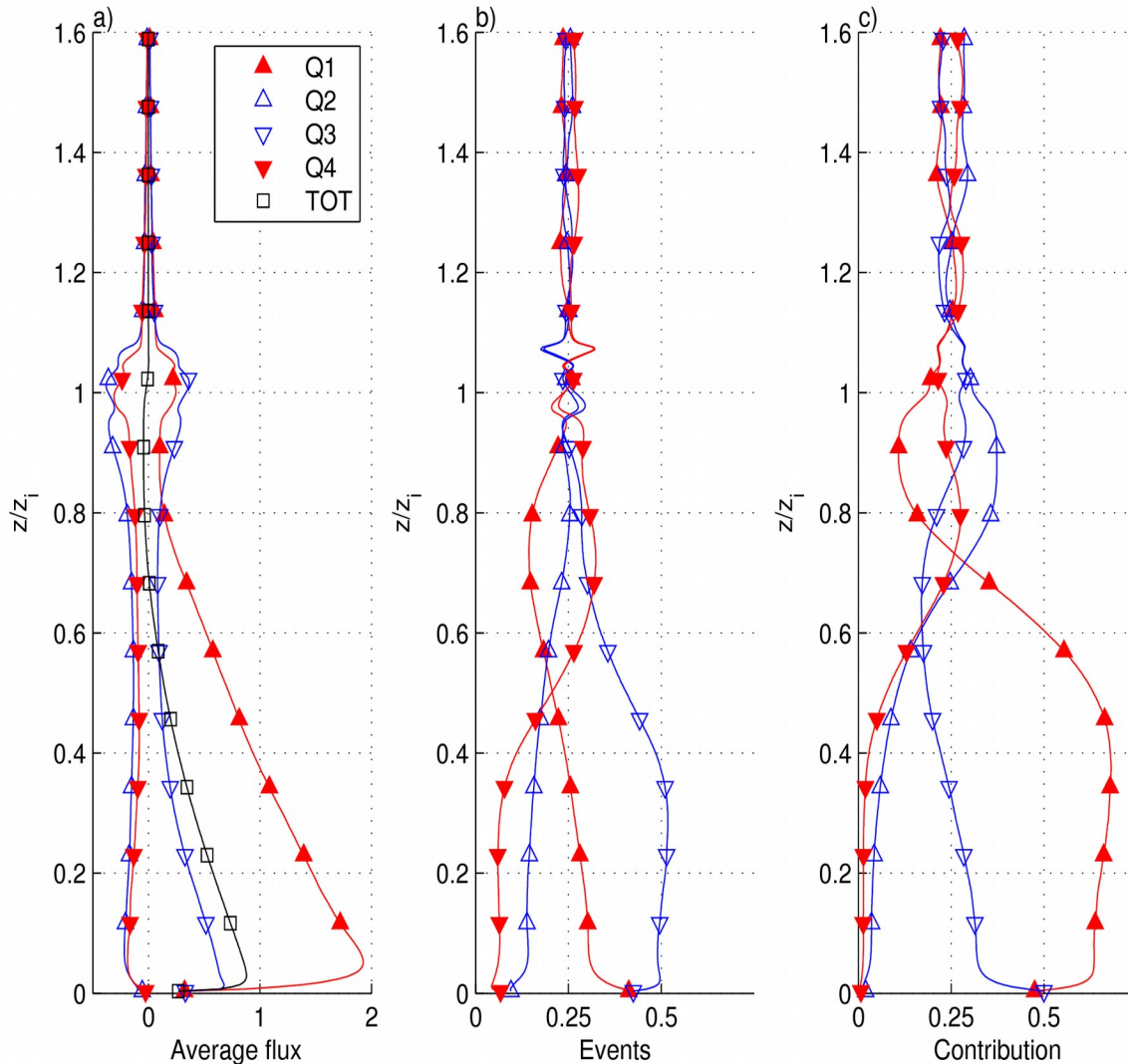
- Thermals rise
- Join those in adjacent regions to form larger structures.
- Closer to BL height – negative theta' associated with positive w'

Temperature flux Quadrant analysis



- Disentangle the temperature flux.
- e.g. Sullivan et al., 1998; Coceal et al 2007, Park and Baik 2014
- $\Theta' > 0, W' > 0$: $Q1$
- $\Theta' < 0, W' > 0$: $Q2$
- $\Theta' < 0, W' < 0$: $Q3$
- $\Theta' > 0, W' < 0$: $Q4$
- Number of events and contribution of each quadrant to the total flux.

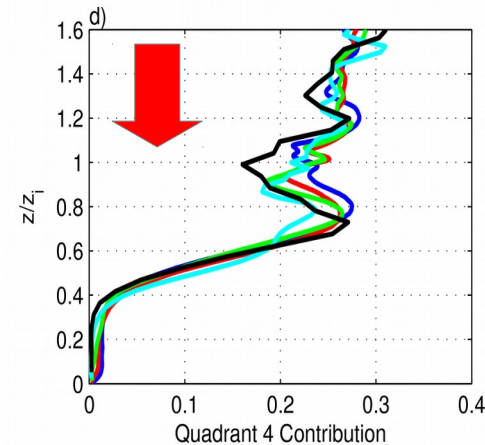
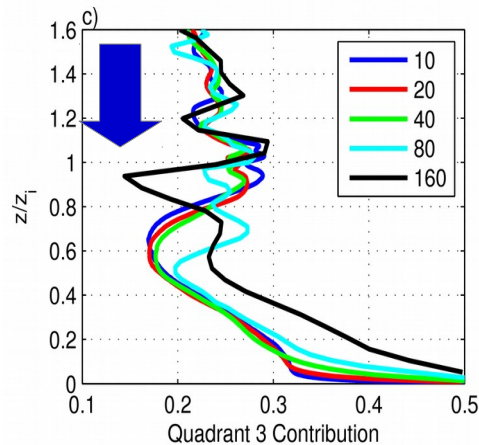
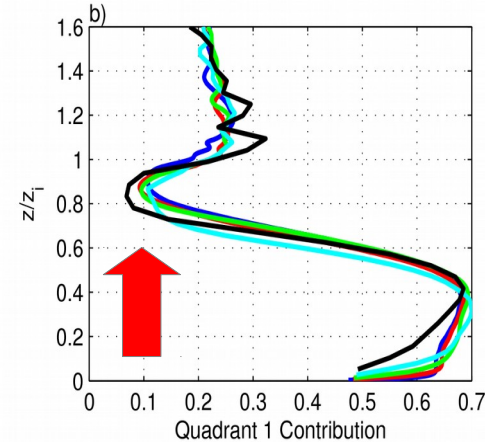
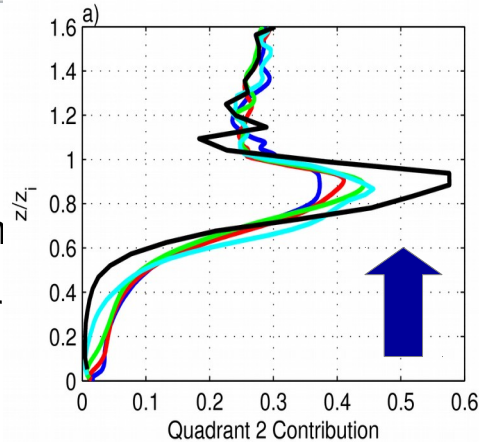
Processes at high resolution



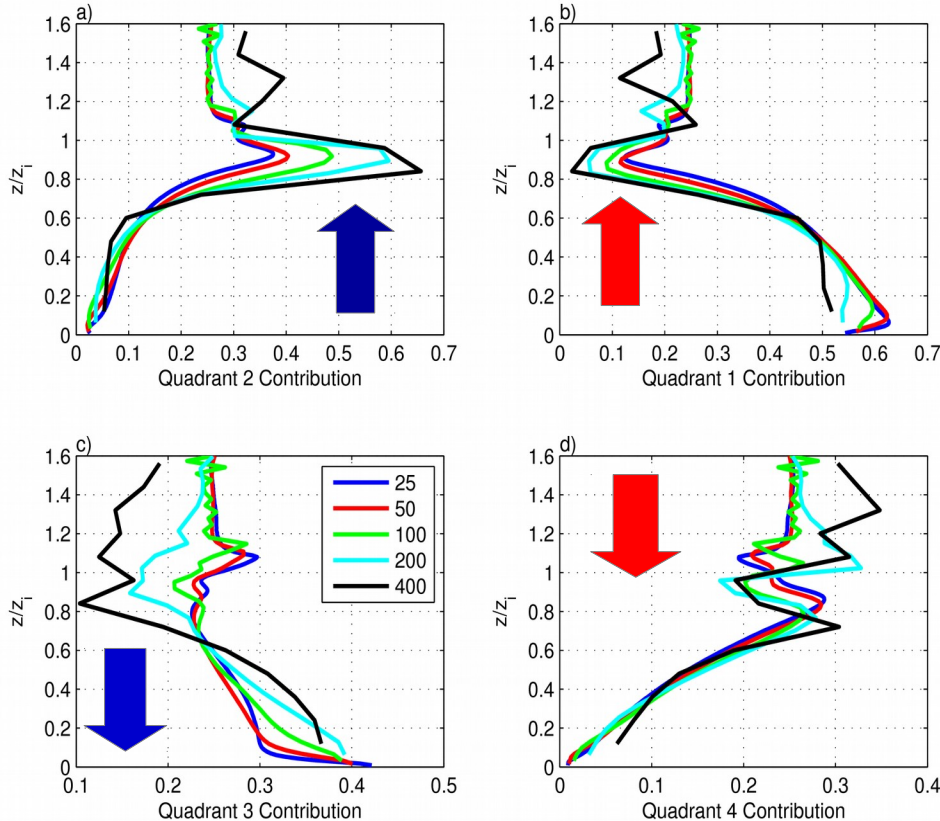
- Thermals rise – mix with environment-get colder
- Some join Q3 closer to the surface, most become Q2
- Q2 – bigger contribution theta'w'
- More Q4 events close to inversion layer-entrainment – contribution is about 1/4.

Contribution – resolution dependence

- Low resolution – smaller Q1 contribution to mid-BL
- Smaller change from Q1 to Q2 – mixing
- Big contribution of Q2 to flux – smaller mixing.
- Bigger contribution of entrainment in high resolution simulations.
- Q2 lines according to resolution close to inversion layer
- Q2 represents thermals which get colder due to mixing but manage to maintain their momentum.
- Sullivan and Patton profile



Contribution - Sullivan

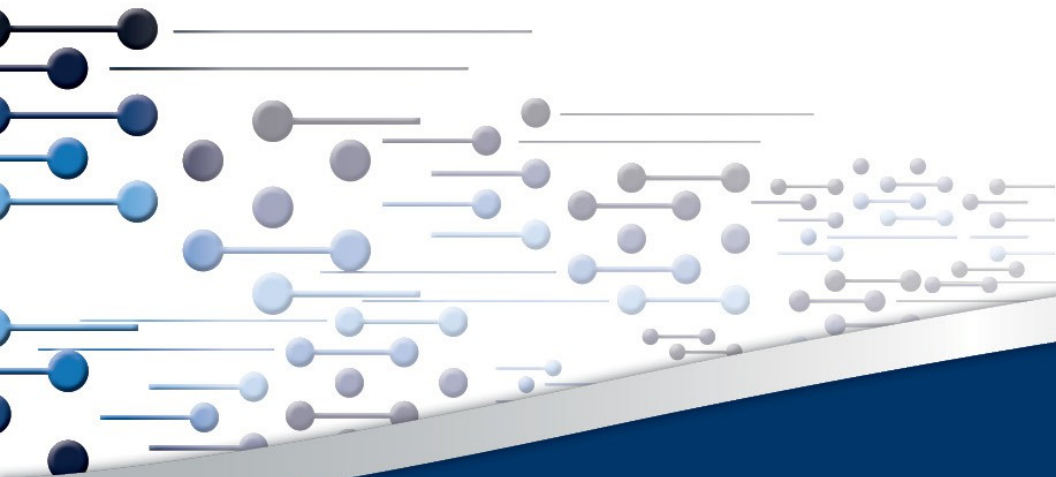


- Change in contribution with grid length capture ok in Q1 and Q3
- Peak in Q2 and Q4 below BL height at lower height
- Q3 and Q1 contributions substantially smaller
- Q2 contribution much larger than the rest with increased grid length

Concluding remarks - LES

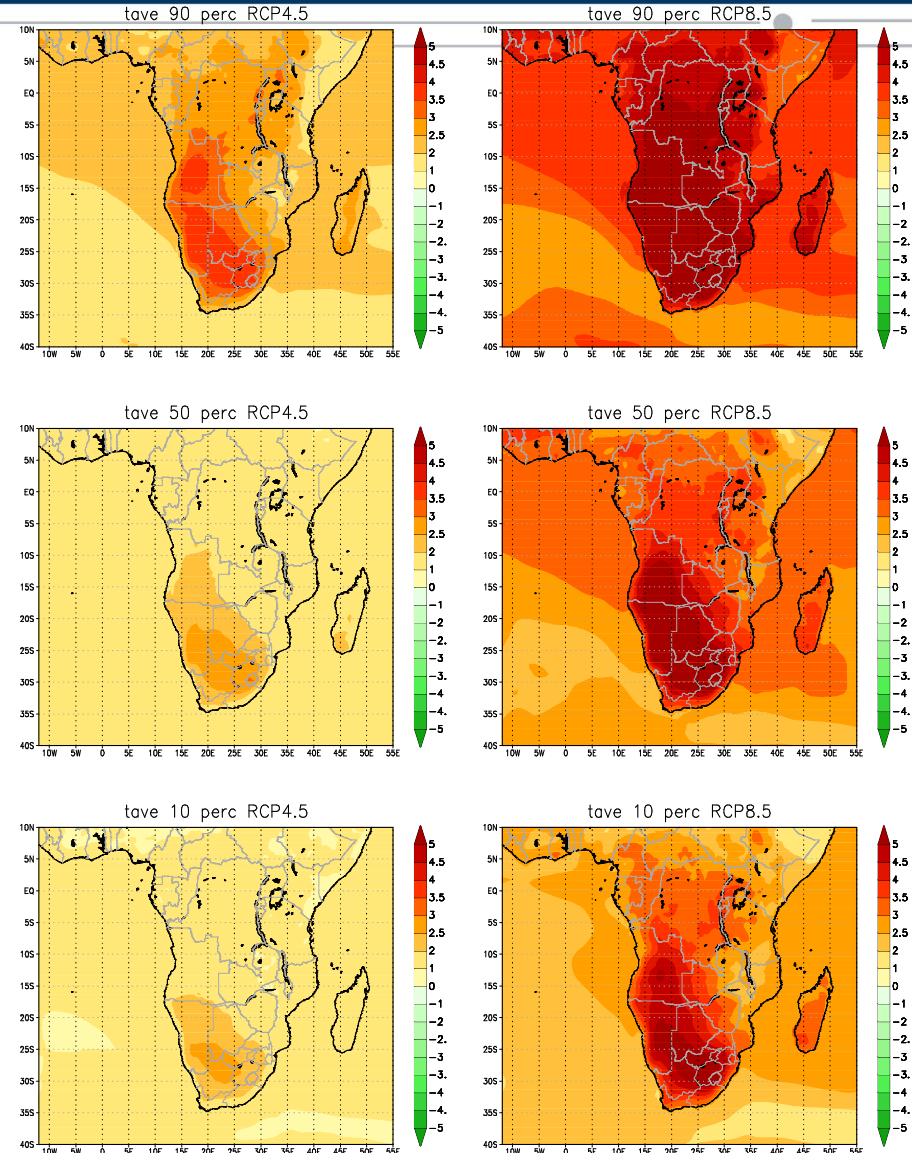
- Different subgrid models being tried to resolve the problem as yet – big research topic.
- LES used for research purposes.
- Use of LES models for operations – not far off
- Effects of changing the grid spacing visible in inertial subrange, as well as grey-zones.

CCAM Modelling



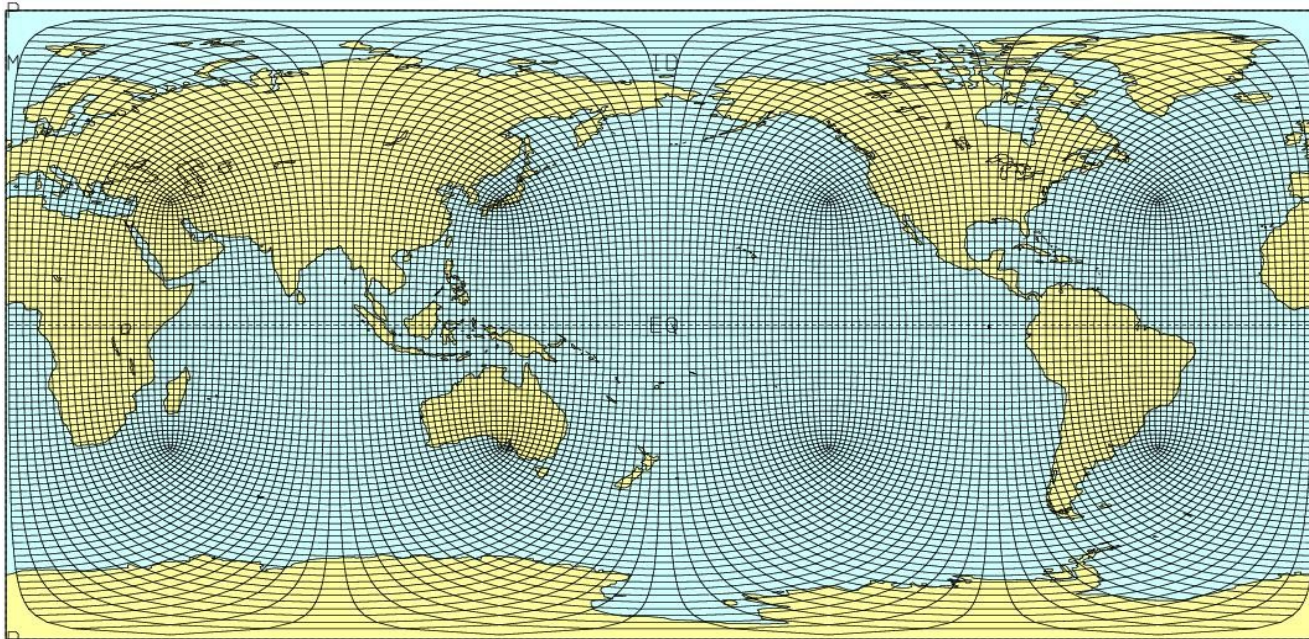
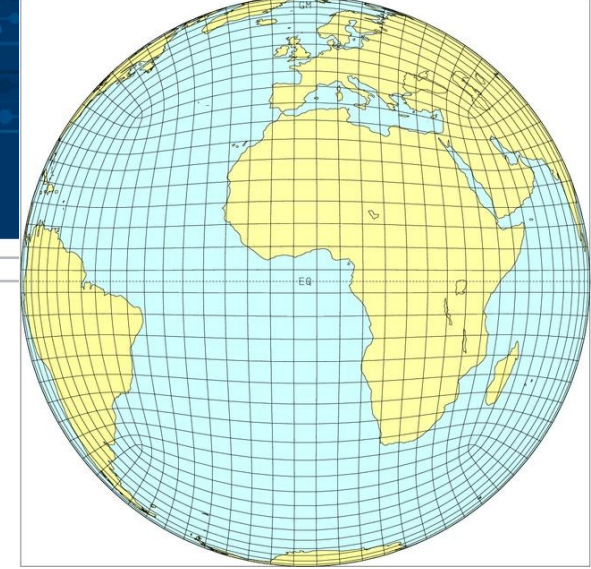
CCAM model

- Used for
 - Numerical Weather Prediction,
 - Seasonal Forecasting
 - Multi-decadal simulation
- Scaling tests: 1 month simulation
 - C768 – 13km
 - C384 – 26km
 - C192 – 50km
 - C96 - 100km

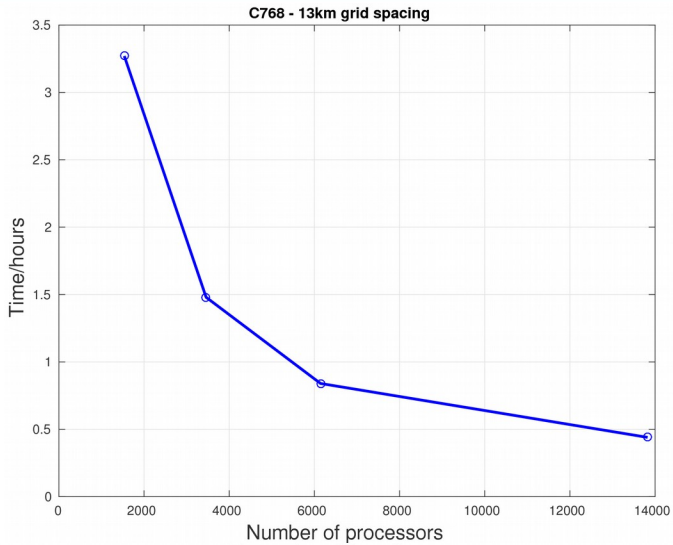


CCAM grid

- Cube – based GCM
- Grid decomposition choices:
 - Uniform – not restrictive on # of procs
Requires more MPI message passing.
 - **Face – only works for factors or multiples of six**

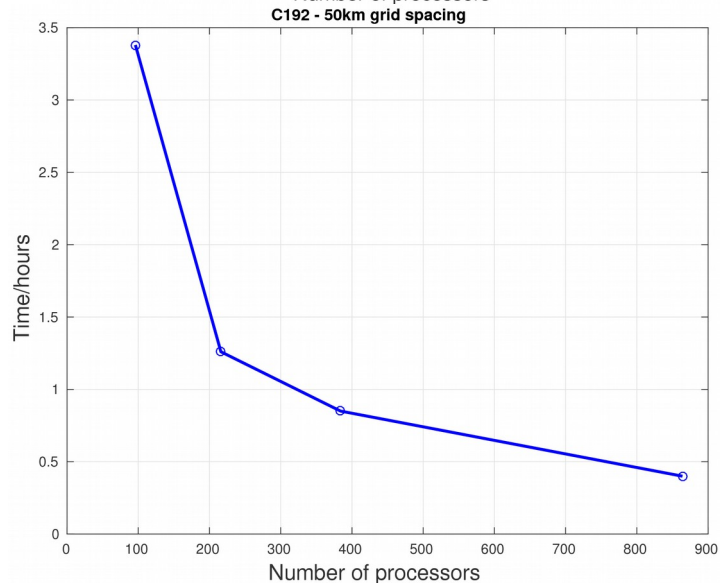


Scaling tests



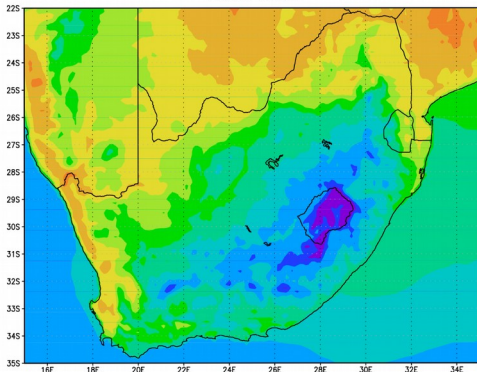
C96 - 100km		C768 - 13km	
nproc	hours	nproc	hours
96	3.38	1536	3.27
216	1.27	3456	1.48
384	0.85	6144	0.83
864	0.4	13824	0.45

- To produce 1 month simulation with 13km grid spacing globally in less than 30 mins requires 13824 processors for atmosphere only

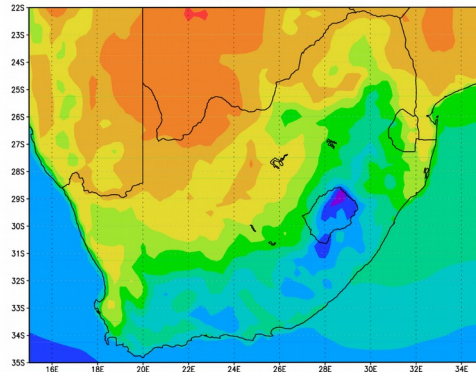


Maximum Temperature

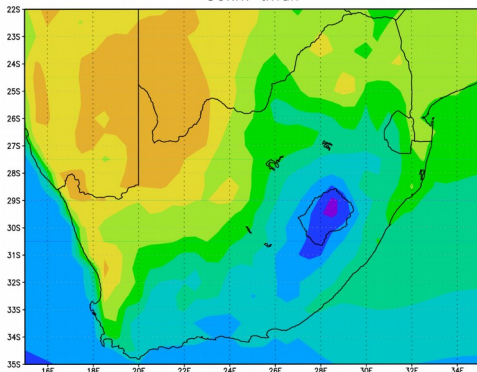
13km tmax



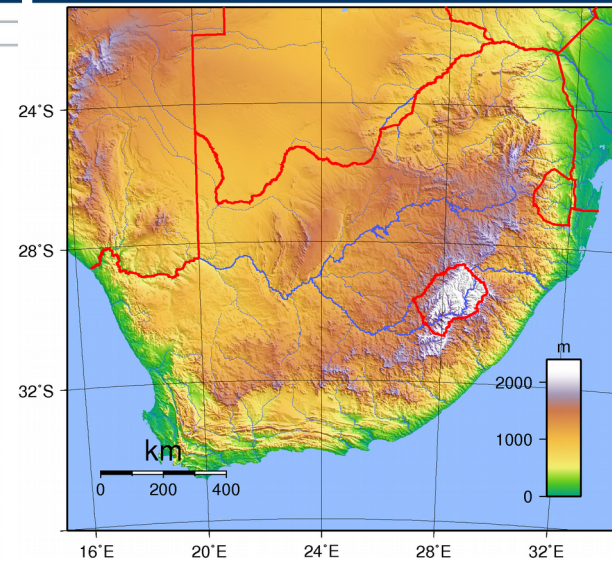
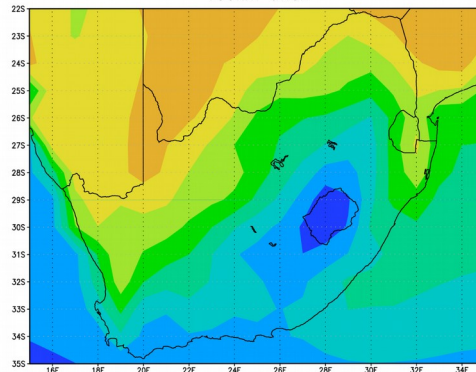
26km tmax



50km tmax



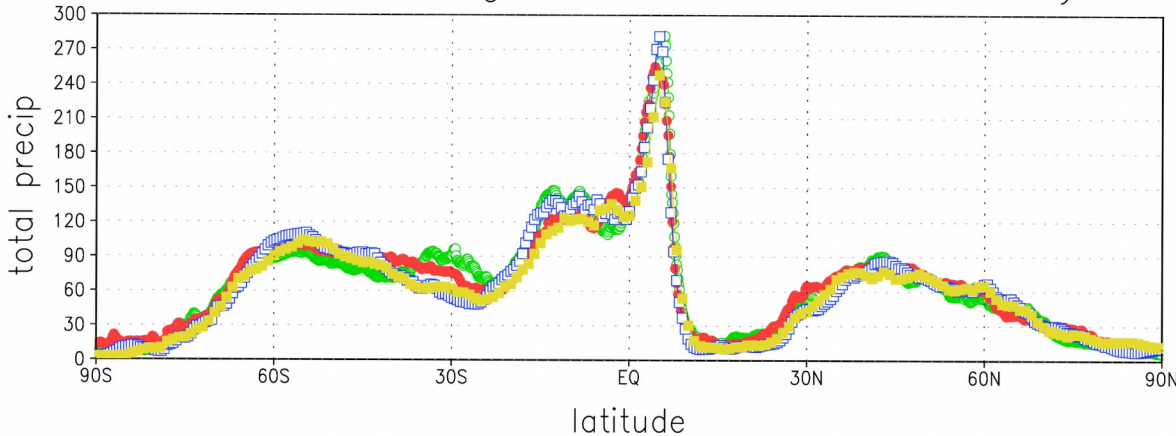
100km tmax



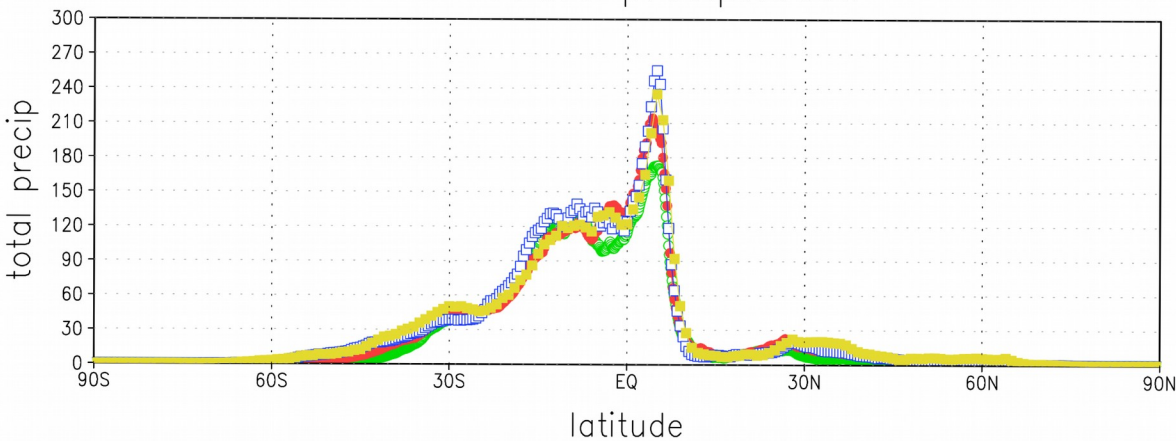
- High resolution correspond to topography map

Global rainfall

rainfall 13km-g 26km-r 50km-b 100km-y

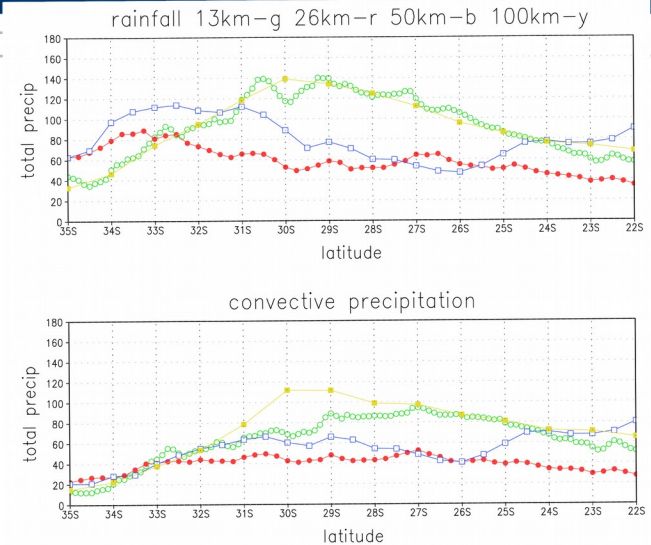
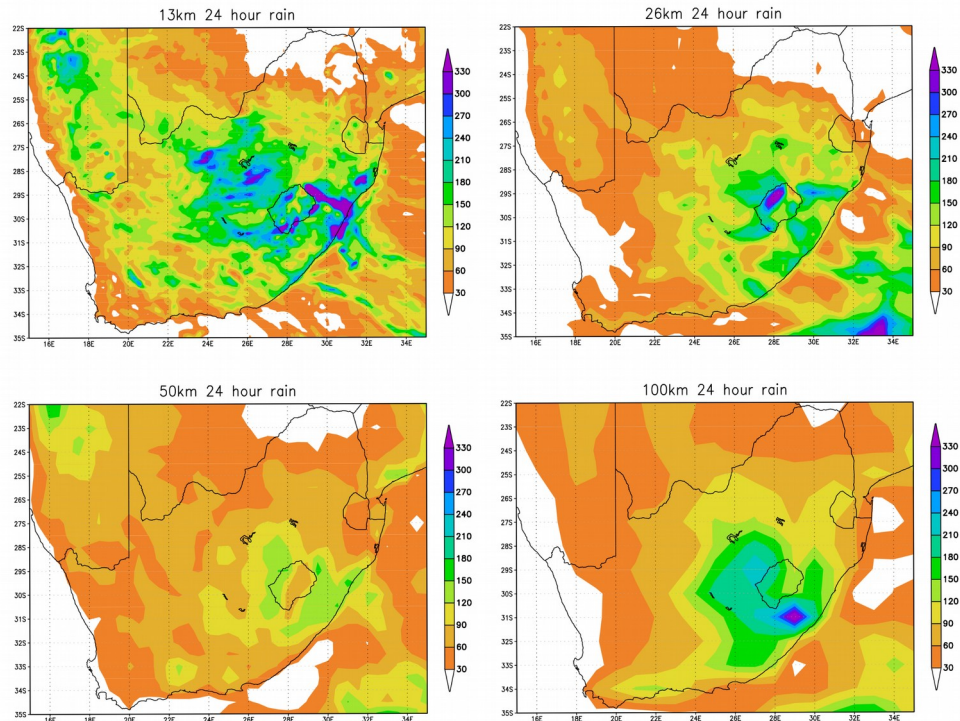


convective precipitation



- Small differences in simulated amounts.
- More convective rainfall over tropics.

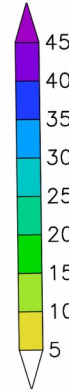
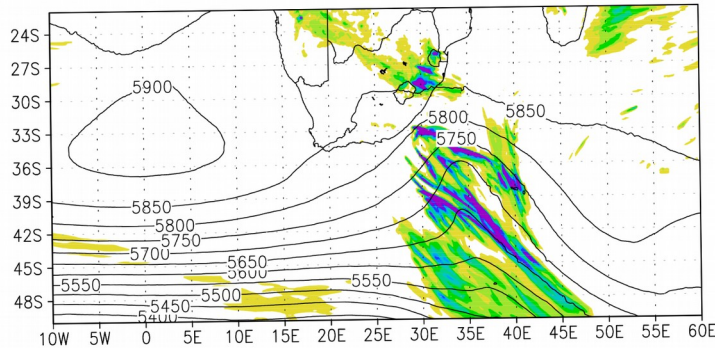
Rainfall – South Africa



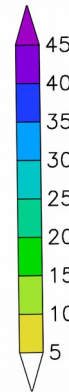
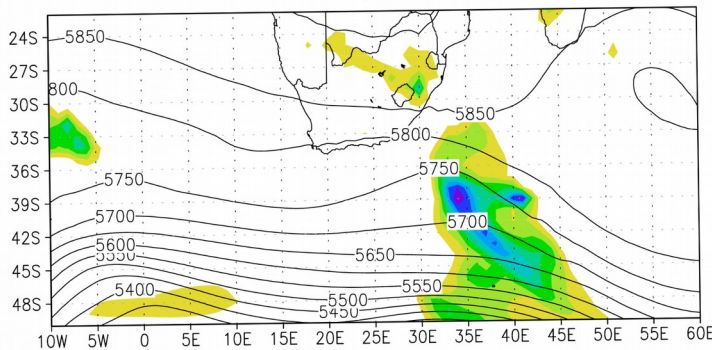
- More detail with high resolution
- 100km matched by 13km

Synoptic control subgrid processes

13km rain & 500hpa Geopotential height



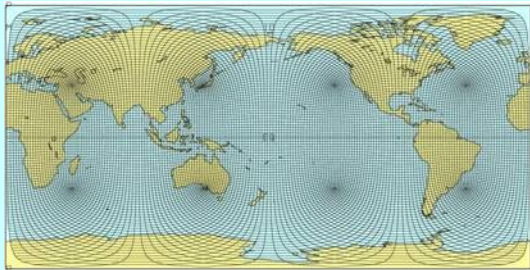
100km rain & 500hpa Geopotential height



- Parametrization – determine relationship of subgrid processes to large scale processes.
- Large synoptic systems give rainfall

Climate Change Experimental design

Regional Climate Modelling Flow of Events: CSIR ensemble of projections



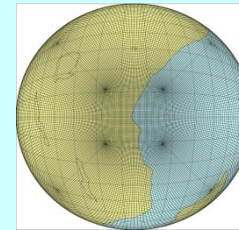
Global simulations, quasi-uniform C192 resolution (~ 50 km) for the Coordinated Regional Downscaling Experiment (CORDEX)

Bias-adjust SSTs (Reynolds Climatology)

Downscaling using CCAM in 2 stages

SSTs, sea-ice, atmospheric nudging

Simulation period 1960-2100
6 CGCMs downscaled



Very high-resolution simulations over areas of interest (8 km resolution)

Regrid from CCAM to lat-lon grid

Further downscaling to 1 km resolution over smaller areas is feasible

Application modelling, climate change impact studies, climate change adaptation strategies and policy making

Concluding remarks

- The grid spacing has a big effect on simulations.
- Subgrid models are responsible for most of the uncertainty in simulations.
- Increase in grid spacing at multi-decadal timescales possible because of CHPC machines.
- CCAM scales well
- Variable Resolution Earth System Model (VRESM) - Busy writing Variable-resolution Cube Ocean Model (VCOM) in parallel – using CCAM as benchmark.